2.3 Notes

Direct Proportion : One quantity is directly proportional to another if the ratios of the two quantities are constant

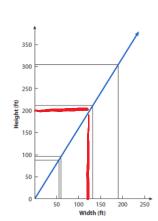
\* A graph of the quantities is a line that includes (0,0).

\* Equation y= kx "y is directly proportional to x"

Function: & A function is a relationship between mont and output in which each input value has exactly one output value \*Provides a way of finding a unique extent value for

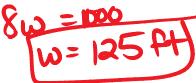
Example 1: 8/5

a.) Use the regulating line for the Notre Dame proportioning system to estimate the width of a similar rectangle with a height of 200 feet.



b,) Use a proportion to calculate the width.

$$\frac{8}{5} = \frac{200}{w}$$



Example 2: The table shows the cost of having various amounts of clothes washed at a drop-off laundry.

Weight of	Cost (\$)
Clothes (lb)	
4	5.20
6	7.80
9	11.70
13	16.90

$$\frac{5.20}{4} = 1.3$$
 $\frac{7.80}{6} = 1.3$ 

3

a.) Verify that cost is directly proportional to weight.

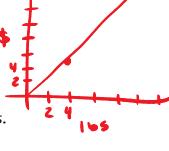
b.) Write an equation that models cost C as a function of weight, w.

$$\frac{c}{w}$$
 = 1.3  $c = 1.3\omega$ 

c.) Draw a graph of cost vs. weight.

d.) Use your equation to determine the cost for a load of 8 pounds of clothes.





## Example 3: A person's red blood cell count can be estimated by looking at a drop of blood under a microscope. The number of cells inside the circular field of the microscope is counted.



N=2300 A

If the area of the circle is known, then area can be used as a measure of the number of blood cells. The number of cells varies directly with area.

- a. Assume that a 0.01 mm<sup>2</sup> viewing field contains 23 red blood cells. Find an equation for the number N of red blood cells as a function of area A.
- b. Use your equation from Part (a) to determine how many red blood cells are contained in an area of 50 mm<sup>2</sup>.

$$N = kA$$
  $N = 23, A = 0.01$   
 $23 = k(0.01)$   
 $2300 = k$